Unit 4

## WATER DISTRIBUTION SYSTEM

## Water Stress by Country: 2040



NOTE: Projections are based on a business-as-usual scenario using SSP2 and RCP8.5.

## Top 33 Water-Stressed Countries: 2040

| Rank Name | All Sectors |  |
| :--- | :--- | :--- |
| $\mathbf{1}$ | Bahrain | 5.00 |
| $\mathbf{1}$ | Kuwait | 5.00 |
| $\mathbf{1}$ | Qatar | 5.00 |
| 1 | San Marino | 5.00 |
| 1 | Singapore | 5.00 |
| 1 | United Arab Emirates | 5.00 |
| 1 | Palestine | 5.00 |
| 8 | Israel | 5.00 |
| 9 | Saudi Arabia | 4.99 |
| 10 | Oman | 4.97 |
| 11 | Lebanon | 4.97 |
| 12 | Kyrgyzstan | 4.93 |
| 13 | Iran | 4.91 |
| 14 | Jordan | 4.86 |
| 15 | Libya | 4.77 |
| 16 | Yemen | 4.74 |
| 17 | Macedonia | 4.70 |
| 18 | Azerbaijan | 4.69 |
| 19 | Morocco | 4.68 |
| 20 | Kazakhstan | 4.66 |

## Top 33 Water-Stressed Countries: 2040

| Rank | Name | All Sectors |
| :--- | :--- | :--- |
| 21 | Iraq | 4.66 |
| 22 | Armenia | 4.60 |
| 23 | Pakistan | 4.48 |
| 24 | Chile | 4.45 |
| 25 | Syria | 4.44 |
| 26 | Turkmenistan | 4.30 |
| 27 | Turkey | 4.27 |
| 28 | Greece | 4.23 |
| 29 | Uzbekistan | 4.19 |
| 30 | Algeria | 4.17 |
| 31 | Afghanistan | 4.12 |
| 32 | Spain | 4.07 |
| 33 | Tunisia | 4.06 |

## Tentative costs of Components of a water supply scheme

## Sl. <br> No

## Component Item

1. Pumping Stations $18 \%$
2. Reservoirs

Cost of the item expressed as percentage of the total
3. Treatment Plant 10\%
4. Supply Penstocks $9 \%$
5. Distribution System 50\%
6. Buildings for housing operational staff, $2 \%$ etc.
7. Meters and other contingencies
$5 \%$

Hierarchical Relationship of Components, Subcomponents and Sub-subcomponents for a water distribution system

## Water Distribution System

Component


## Water Distribution System Consists of:

- Pipe Lines (Mains, Sub-mains, Branches,

Laterals (also called feeders)) of various sizes

- Valves for controlling the flow in pipes
- Hydrants for releasing water during Fires
- Meters for measuring discharges
- Service Connections
- Pumps
- Distribution or Service Reservoirs


## Requirements of a Good Distribution System

- Capable of supplying water at all intended places within a city at reasonably sufficient pressure
- Capable of supplying requisite amount for fire fighting
- Cheap with least construction cost
- Simple and easy to operate and repair
- Safe against future pollution
- Safe as not to cause damage against bursting
- Fairly water-tight to minimize losses due to leakage



## Methods of Distributing Water


(b) Pumped

(c) Combined (Pumped -Storage Supply)

Source of supply is at sufficient elevation above the consumer so that desired pressure can be maintained. It is economical

Pumps are used to develop necessary head (Pressure) to distribute water to consumers and distribution reservoir

Storage reservoirs are used to maintain adequate pressure during periods of high consumer demand and under emergency conditions such as fires or power failures. During periods of low water consumption, excess water is pumped and stored in the storage reservoirs. Because the storage reservoirs are used to provide water during periods of high or peak demand, the pumps can be operated at their rated capacity

## Dead End System:

It is suitable for old towns and cities which have developed in a haphazard manner having no definite pattern of roads. This system consists of a main pipe laid along the main road. A number of sub-mains originate (generally at right angles) from main pipe. Each sub-main, then divides into several branch pipes, called laterals. From the laterals, service connections are given to the consumers.

## Dead End System ..contd

Advantages:

- Distribution network can be easily solved
- Discharges and pressures can be accurately calculated at different points in the system
- Lesser number of valves required
- Shorter pipe lengths needed
- Relatively cheap and can be extended or expanded easily
- Determination of discharges and pressure easier due to less number of valves

Disadvantages

- Due to many dead ends, stagnation of water occurs in pipes. Bacterial growths and sedimentation may occur in branch ends
- Difficult to maintain chlorine residual at the dead ends of the pipe
- During repairs to individual line, service connections beyond the point of repair will be without water until the repairs are made
- Pressure at the end of the line may become undesirably low as additional extensions are made


## Dead End or Tree System




## Grid Iron System:

Also known as Reticulation or Interlaced system. It is suitable for cities with rectangular layout, where the water mains and branches are laid in rectangles. Example : Chandigarh

Advantages:
Water is kept in good circulation due to the absence of dead ends.
In the cases of a breakdown in some section, water is available from some other direction.

Disadvantages
Requires more length of pipe lines and a larger number of sluice valves (i.e. cut-valves)
Construction is costlier
Design is difficult and costlier.
Exact calculation of sizes of pipes is not possible due to provision of valves on all branches.

Grid-iron System


## Radial System:

The area is divided into different zones. The water is pumped into the distribution reservoir kept in the middle of each zone and the supply pipes are laid radially ending towards the periphery.

Advantages:
It gives quick service.
Calculation of pipe sizes is easy.


## Ring System:

This system is also sometimes called Circular System. The supply main is laid all along the peripheral roads and sub mains branch out from the mains. Thus, this system also follows the grid iron system with the flow pattern similar in character to that of dead end system. So, determination of the size of pipes is easy.

Advantages:
Water can be supplied to any point from at least two directions.


Hydraulic Analysis of Water Distribution System: Methods
$\checkmark$ Hardy-Cross Method

- Method of Sections
- Circle Method
- Relaxation Method
- Pipe Equivalence Method
- Digital Computer Analysis
- Electrical Analogy


## In any pipe network, the following two conditions must be satisfied:

1. The algebraic sum of the pressure drops around a closed loop must be zero, i.e. there can be no discontinuity in pressure
2. The flow entering a junction must be equal to the flow leaving the same junction; i.e. the law of continuity must be satisfied

## Hardy Cross Method

1. Assume any internally consistent distribution of flow. The sum of the flows entering any junction must equal the sum of the flows leaving that junction
2. Compute the head loss in each pipe by means of an equation or diagram. Conventionally, clockwise flows are positive and produce positive head loss and, vice versa.
3. With due attention to sign, compute the total head loss around each circuit, i.e. $\sum K . Q_{a}{ }^{2}$
4. Compute without regard to sign, for the same circuit, the sum of $\sum$ x.K.Qa ${ }^{x-1}$
5. Apply the corrections obtained from the equations below to the flow in each pipe. Pipes common to two loops will receive both corrections with due regard to sign.

## $\Delta=-\frac{\sum K \cdot Q_{a}^{x}}{\sum\left|x \cdot K Q_{a}^{x-1}\right|}$

$$
\Delta=\frac{-\sum H_{L}}{x \cdot \sum\left|\frac{H_{L}}{Q_{a}}\right|}
$$

Where $H_{L}=$ head loss for the assumed flow $Q_{a}$

## K - Value

- Fittings such as elbows, tees, valves and reducers represent a significant component of the pressure loss in most pipe systems. Calculation of pressure losses through pipe fittings and some minor equipment are done using the K value method, also known as the Resistance Coefficient, Velocity Head, Excess Head or Crane method.
- The K-value, Resistance Coefficient, Velocity Head, Excess Head or Crane method allows the user to characterise the pressure loss through fittings in a a pipe. The K-value represents the multiple of velocity heads that will be lost by fluid passing through the fitting.
- It is more accurate than the Equivalent Length method, as it can be characterised against varying flow conditions (i.e. Reynold Number). However it is less accurate than other methods as it does not take into account the varying geometries of fittings at different sizes. For example a DN 50 (2") long radius $90^{\circ}$ elbow is not geometrically similar to a DN 150 ( $6 ")$ long radius $90^{\circ}$ elbow, thus the K-value is inaccurate at sizes other than that of the fitting used to determine the K-value. These K-values also generally assume fully developed turbulent flow, and thus are inaccurate at low Reynolds Numbers.
- There are several other methods for calculating pressure loss from fittings, such as:
- Equivalent Length
- 2K Method
- 3K Method
- K-VALUE METHOD AND TYPICAL VALUES
- The Velocity head method is named as such because it represents the pressure loss through a fitting as the equivalent number of 'velocity heads'. It is in some ways similar to the equivalent length method, and the two may be equated by the formula below:


## Formula for Calculating Head Loss from K Values

- $K=f^{*} L / D$

Where $L / D$ is the equivalent length


## Punps



## Classification of Pumps

- According to
- Principle of Operation
- Kinetic-Energy Pumps
- Positive Displacement Pumps
- Field of Application (i.e. liquids handled)
- Operational Duty (i.e. Head and Capacity)
- Type of Construction
- Method of Drive


## Principal Components of Kinetic Energy Pumps

- Impeller - Rotating element. Imparts energy to the liquid being pumped
- Shaft - on which impeller is mounted
- Pump Casing - includes inlet and outlet passages
- Frame - supports pump casing



## Pump Drive Units

- Electric Motors - Direct Connected
- Electric Constant-Speed Motors Coupled to

Variable-Speed Devices

- Internal-Combustion Engines and Gas Turbines
- Fluid-Driven Pumps


## Pump Application Terminology and Usage

- Capacity
- Head
- Pump Efficiency
- Power Input

Piston pump


Plunger pump





Ringtite ${ }^{(1)}$ Joint
Connection


Screw-End Connection


H


HEE 6-19 Handwheel operator
of M\&H Valve and Fire Hydrant


Valve key for water main valves


Slanting Disk Check Valve Cushioned Swing Check Valve


Double Door Check Valve
FIGURE 6-18 Five types of check valves
Reprinted with permission of APCO/Valve \& Primer Corp.

## Butterfly Valve with Electric Actuator





FIGURE 6-3 Altitude valves
Courtesy of GA Industries, Inc.


FIGURE 6-1 Valves installed at intersection of mains in a grid pattern


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FIGURE 3.8 Sufficient pumping head must be provided when there is no storage
A. Adjacent to Pump Station

B. Beyond Service Area

C. Adjacent to Area With Lowest Pressure

= murif 3-7 Different locations of elevated storage
Public Works Magazine


Dally variation of system demand


## 17E 2-1 Arterial-loop system



FIGURE 2-2 Grid system


FIGURE 2-3 Tree system


FIGURE 2-5 Shear and beam breakage


FIGURE 2-12 Mechanical-joint example for sizes 3-48 in.


Typical Gasket Configurations


Rigid Joint


HIGLIE 2-13 General coupling and joint configurations


May be welded inside or outside, or both inside and outside when required.
A. Lap-Welded Slip Joint

C. Double-Butt Weld Joint


Field-welded restraint bar (alternative Rubber Gasket typical for joint types $G, H$, and I)
E. Fabricated Rubber Gasket Joint


For restraint, this weld-on bar can also be used on joint types E, F, H, and I
G. Tied Rubber Gasket Joint


## B. Single-Butt Weld Joint


D. Butt Strap Joint


Rubber Gasket

## F. Rolled-Groove Rubber Gasket Joint


H. Carnegie-Shape Rubber Gasket Joint

I. Carnegie-Shape Rubber Gasket Joint
With Weld-on Bell Ring

FIGURE 2-17 Welded and rubber-gasketed field joints used for connecting steel pipe


Flisu PE 2-18 Detail of a sleeve coupling used for connecting steel pipe sections


HEETEE 2-19 Detail of one type of expansion joint for steel pipe


## FIGURE 2-21 Restrained fitting

Courtesy of EBAA Iron, Inc.


## FIGURE 2-22 Prestressed concrete lined-cylinder pipe

Drawing furnished by American Concrete Pressure Pipe Association


FIGURE 2-23 Prestressed concrete embedded-cylinder pipe
Drawing furnished by American Concrete Pressure Pipe Association


## FGL.RE 2-24 Pretensioned concrete cylinder pipe

ng furnished by American Concrete Pressure Pipe Association


FIGURE 2-25 Reinforced concrete cylinder pipe
Drawing furnished by American Concrete Pressure Pipe Association


- Reservoir Yield - Amount of water that can be supplied from the reservoir in a specified interval of time
- Represented by Mass Curve of Outflow (or) Mass Demand Line
- Safe Yield or Firm Yield - Maximum quantity of water guaranteed during a critical dry period
- Secondary Yield - Quantity of water available in excess of safe yield during periods of high flood
- Average Yield - Arithmetic average of firm and secondary yield over a long period of time

Reservoir Yield depends upon Inflows +Reservoir Losses + Reservoir Evaporation

- Catchment Yield - Total yearly runoff, expressed as volume of water entering/passing the outlet point of the catchment, expressed as Mm3 or M.ha.m
- Represented as Mass Curve of Inflow

Reservoir Capacity is determined with the help of Mass Inflow Curve and Demand Curve

## Flood Hydrograph and Mass Inflow Curve



## Demand Line or Demand Curve


(a)

(b)

$$
\begin{aligned}
\frac{O_{1}}{t_{1}} & =\text { Slope of the line } \\
& =\text { Demand rate. }
\end{aligned}
$$

[^0]
## Estimation of Reservoir Capacity



Fig. 3.14


| Order of <br> Month <br> $\mathbf{( 1 )}$ | Runoff, $\mathbf{Q}$ <br> $\mathbf{( 2 )}$ | Draft, <br> $\mathbf{( 3 )}$ | Cumulative <br> Runoff $\sum \mathbf{Q}(\mathbf{4})$ <br> $=\Sigma(\mathbf{2})$ | Deficiency <br> $\mathbf{( \mathbf { D } - \mathbf { Q } )}=\mathbf{( 3 )}-\mathbf{( 2 )}$ | Cumulative <br> Deficiency $\Sigma(\mathbf{D}-\mathbf{Q})$ <br> $\mathbf{( 6 ) = \Sigma ( 5 )}$ | Reservoir State <br> $\mathbf{( 7 )}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :--- |
| 1 | 1200 | 300 | 1200 | -900 | $0(2400)$ |  |
| 2 | 1500 | 300 | 2700 | -1200 | $0(1500)$ |  |
| 3 | 600 | 300 | 3300 | -300 | $0(300)$ | Reservoir Full at the <br> beginning of dry <br> period |
| 4 | 100 | 300 | 3400 | 200 | 200 |  |
| 5 | 80 | 300 | 3480 | 220 | 420 |  |
| 6 | 30 | 300 | 3510 | 270 | 690 |  |
| 7 | 10 | 300 | 3520 | 290 | 980 |  |
| 8 | 0 | 300 | 3520 | 300 | 1280 |  |
| 9 | 20 | 300 | 3540 | 280 | 1560 |  |
| 10 | 60 | 300 | 3600 | 240 | $1800 *$ | Max. deficiency |
| 11 | 800 | 300 | 4400 | -500 | 1300 |  |
| 12 | 1000 | 300 | 5400 | -700 | 600 |  |
| 13 | 1200 | 300 | 6600 | -900 | $0(300)$ | Reservoir Full |
| 14 | 700 | 300 | 7300 | -400 | $0(700)$ |  |



## Confusing terms... ?

| Rescrvoir | Dam | Barrage | lake |
| :---: | :---: | :---: | :---: |
| It is a store house to store the water. These may be created in river valleys by the construction of dam. | Dams are artificial barriers across a flowing river or any other natural water body that are meant to obstruct, direct, or slow down the flow of water, thus creating a reservoir or a lake. | A barrage is an artificial obstructio n at the mouth of a river that is used divert the flow of river and to increase its depth to assist in navigation or for irrigation purpo ses | Lake is usually shallow reserve of water similar to reservoir but it is naturally formed. |

## Types of Reservoirs

Reservoirs are of two main categories:

- Storage reservoirs into which a river flows naturally
- Distribution or Service reservoirs receiving supplies that are pumped or channeled into them artificially also called balancing reservoirs.


## Types of Reservoirs Contd...

- Storage Reservoir: A reservoir with gate-controlled outlets wherein surface water may be retained for a considerable period of time and released for use at a time when the normal flow of the stream is in sufficient to satisfy requirements.
* Impounding
- Embankment reservoir
* cascade



## Forms of Storage Reservoir

* Reservoirs formed by a dam across the course of a river, with subsequent inundation of the upstream land surface are often called impoundments.
- Water bodies not constructed within the course of the river and formed by partially or completely enclosed water-proof banks (and usually filled by diverted river flows or pipes) are often referred to as off-river, or bonded, reservoirs.
* Reservoirs created by dams or weirs serially along a river course form a cascade
(


## Forms of reservoir formation


c.


## Impoundments and Embankment Reservoirs



## Storage reservoirs

* An impounding or storage reservoir is a basin constructed in the valley of a stream or river for the purpose of holding stream flow so that the stored water may be used when supply is insufficient.
They have the following two functions :
- To impound water for beneficial use.
- To retard flood.
- These two functions may be combined to some extent by careful operations.


## Storage reservoirs design factors

Since storage of reservoir is the essential principle on which an impounding reservoir is based, the general factors to be considered in its design are: -

- The run-off or the quantity of water flowing from the drainage area for successive intervals of time. This, as we have seen, would be determined from the long-term records of the rainfall and run-off for the catchments area considered.
- The total demand of water for all purposes including the consumption requirements, loss of water due to evaporation from the surface of reservoir, leakage and percolation losses and the necessary withdrawals to satisfy the demands of the riparian owners own stream, for like intervals of time.


## Storage reservoirs location selection

Considerations affecting the location impounding reservoirs are:

- Existence of suitable dam site. The shortest dam to pond the requisite volume of storage is the best. This would possible if the river flows through a narrow gorge and the rapidly widens upstream from the site.
* The quantity of water available. It should be sufficient to meet all the demands throughout the year. This would depend the rainfall, run-off and the catchment area. The catchment should be such as to drain off waters from all points in the catchment.
- Distance and elevation of the reservoir with reference the point of distribution. A longer distance means greater cost of conduits while proper elevation of the reservoir ensures adequate supplies through gravity flow.


## Storage reservoirs location selection

- Density and distribution of population over the catchment area. From the point of view of stream-pollution, it would be able to have a small density of population per sq. kilometer on catchment area above the reservoir.
* Existence of towns, highways, rail yards and other cultivation areas. These should be excluded from the submerged area of reservoir.
- Geological conditions of the storage basin. The exist of bed rocks of calcareous stone is likely to impart quality of hard to water. Also, if the rocks are deeply fissured, there will considerable loss o water due to percolation.


## Principle uses of storage reservoir

- Their main uses include:
- drinking and municipal water supply
- industrial and cooling water supply
- power generation
- agricultural irrigation
- river regulation and flood control
- commercial and recreational fisheries
- body contact recreation, boating, and other aesthetic recreational uses
- navigation
- canalization and
- waste disposal (in some situations).


## Types of Reservoirs Contd...

- Distribution Reservoir:


#### Abstract

A reservoir also called service reservoirs connected with distribution system or a water supply project and stores the treated water for supplying water during emergencies (such as during fires, repairs, a break in a main supply line failure of a pumping plant etc.) and also to help in absorbing the hourly fluctuations in the normal water demand.


## Distribution Reservoir

## - Distribution Reservoirs

This reservoir is requirement of Good Distribution System.

## Functions of Distribution Reservoirs:

- To equalize and absorb the variation in hourly demand of water by the consumers to a uniform rate of supply from the source either by gravity or pumping.
- To maintain the desired minimum residual pressure in the distribution system,
- Water stored can be supplied during emergencies.
- To provide the required contact time for the disinfectant added in order to achieve effective disinfection, and
- To facilitate carrying out repairs either to the pumping main or to pump-set without interruption to the supply of water.


## Distribution Reservoir

## Location and Height of Distribution Reservoirs:

* should be located as close as possible to the center of demand.
- water level in the reservoir must be at a sufficient elevation to permit gravity flow at an adequate pressure.


## Types of distribution Reservoirs

- Underground reservoirs.
* Small ground level reservoirs.
* Large ground level reservoirs.
- Overhead tanks.

Underground reservoirs.


Natosho Wiseman, Water \&amp: Wastowater Treatment

## Small ground level reservoirs.

Taken in: Pennsylvania American
Taken on: September 3, 2012


## Large ground level reservoirs.



- Taken in: United States / Colorado / Boulder


## Overhead tanks

- Ratnawali, India



## Storage Capacity of Distribution Reservoirs

The total storage capacity of a distribution reservoir is the summation of:

* Balancing Storage: The quantity of water required to be stored in the reservoir for equalizing or balancing fluctuating demand against constant supply is known as the balancing storage (or equalizing or operating storage). The balance storage can be worked out by mass curve methed.


## Storage Capacity of Distribution Reservoirs

* Breakdown Storage: The breakdown storage or often called emergency storage is the storage preserved in order to tide over the emergencies posed by the failure of pumps, electricity, or any other mechanism driving the pumps. A value of about $25 \%$ of the total storage capacity of reservoirs, or 1.5 to 2 times of the average hourly supply, may be considered as enough provision for accounting this storage.
* Fire Storage: The third component of the total reservoir storage is the fire storage. This provision takes care of the requirements of water for extinguishing fires. A provision of 1 to 4 per person per day is sufficient to meet the requirement.


## Basic Comparison

## Storage reservoir

1. The storage reservoirs hold untreated water.
2. The water held by a Storage reservoir may be used for other purposes such as irrigation.
3. Basic component of water storage and flood control systems.

## Disiribution reservoit

1. The distribution reservoir holds treated water.
2. Distribution water is used for domestic and industrial purposes.
3. Basie requirement for good water distribution system.

## References

- Environmental engineering by Arcadio P. Sincero.
* Balon, E.K. and Coche, A.G. 1974 Lake Kariba: A Man-made Tropical Ecosystem in Central Africa, Monographiae Biologicae 24, Dr W. Junk, The Hague
- Reservoirs by J. Thornton, A. Steel and W. Rast May, 2011


WATER METER


## INTRODUCTION

- Our homes are becoming smarter each day. The amount of connected devices increases everyday. We can easily know and control the temperature of our home. We can also switch on and off any light with Switch mate, control all our devices and keep an eye at home when we are away with Flare. But we needed something to learn and know more about how to control on water.

- A water meter is a device that measures how much water you use. It is similar to your gas or electricity meter. Your supplier uses readings from the meter to calculate how much to charge you for your water and sewerage services If you have ameter, the amount you pay will depend on how much water you have used.


## Why are

## eters important?

- Water meters are important to a utility for severn yenofs.
- 1. They make it possible to charge customers in proportion to the amount of water they use.
- 2. They allow the system to demonstrate accountability.
- 3. They are fair for all customers because they record specific usage.
- 4. They encourage customers to conserve water (especially as compared to fiat rates).
- 5. They allow a utility system to monitor the volume of finished it puts out.
- 6. They aid in the detection of leaks and waterline breaks in the distribution system. A system without meters is like a taxi without a fare counter. Without a meter.


## "SAVE WATER SAVE LIFE" <br> 


$\qquad$


## 

$\qquad$

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## Flow meters and Water Utilities

- Water utilities are one of the major users of flow meters, using the technology every day to ensure that their customers are billed properly based on their actual usage. These flow meters, commonly referred to as water meters, are placed at points along the water utility infrastructure where the lines branch out to provide services to residential and business customers.
- Water meters can also be used at other points in the utility system. For example, flow meters can be used in the larger part of the infrastructure to ensure that the rate of flow is as expected. This helps identify issues in the utility owned lines such as leaks or breaks. They can also be used to monitor the rate of flow from a well or other water source.



## WATER METERING

Water metering is the process of measuring water use. In many developed countries water meters are used to measure the volume of water used by and commercial buildings that are supplied with water by a public water supply system. Water meters can also be used at the water source, well, or throughout a water system to determine flow through a particular portion of the system. In most of the world water meters measure flow in cubic metres $(\mathrm{m} 3)$ or litres


## Types of metering devices

- There are two common approaches to flow measurement and displacement and velocity, each making use of a variety of technologies. Common displacement designs include oscillating piston and nutating disc meters. Velocity-based designs include single- and multi-jet meters and turbine meters.



## Displacement water meters



- With this type of meter, a known quantity of liquid within a small unit moves with the flow of water. They operate by repeatedly filling and emptying the unit. The flow rate of water is calculated based on the number of times the unit is filled and emptied. The meter also includes a piston or disc that triggers the motion of gears for recording the volume of liquid exiting the meter.
- These meters exhibit high accuracy over a wide range of flow rates, and they are sensitive to low flow rates.
- PD meters are generally very accurate at the low-to-moderate flow rates typical of residential and small commercial users, and commonly range in size from $5 / 8^{\prime \prime}$ to $2^{\prime \prime}$. Because displacement meters require that all water flows through the meter to "push" the measuring element,


## Velocity water meters

- A velocity-type meter measures the velocity of flow through a meter of a known internal capacity. The speed of the flow can then be converted into volume of flow to determine the usage. There are several types of meters that measure water flow velocity, including jet meters (single-jet and multi-jet), turbine meters, propeller meters and mag meters. Most velocity-based meters have an adjustment vane for calibrating the meter to the required accuracy.


## Types of Velocity Meters

1- Multi-jet meters
2 - Turbine meters
3-Compound meters
4- Electromagnetic meters
5- Ultrasonic meters


- Multi-jet meters

Multi-jet meters are very accurate in small sizes and are commonly used in $\$^{\prime \prime}$ to $2^{\prime \prime}$ sizes for residential and small commercial users. Multi-fet meters use multiple ports surrounding an internal chamber to create multiple jets of water against an impeller, whose rotation speed depends on the velocity of water flow.

## - Turbine meters

Turbine meters are less accurate than displacement and jet meters at low flow rates, but the measuring element does not occupy or severely restrict the entire path of flow. The flow direction is generally straight through the meter, allowing for higher flow rates and less pressure loss than displacement-type meters.

- compound meter

A compound meter is used where high flow rates are necessary, but where at times there are also smaller rates of flow that need to be accurately measured. Compound meters have two measuring elements and a check valve to regulate flow between them. At high flow rates, water is normally diverted primarily or completely to the high flow element.

## Magnetic flow meters

Magnetic flow meters, commonly referred to as "mag meters", are technically a velocity-type water meter, except that they use electromagnetic properties to determine the water flow velocity, rather than the mechanical means used by jet and turbine meters.

- Ultrasonic water meters

Ultrasonic water meters use one or more ultrasonic transducer to send ultrasonic sound waves through the fluid to determine the velocity of the water. Since the cross-sectional area of the meter body is a fixed and known value, when the velocity of water is detected, the volume of water passing through the meter can be calculated with very high accuracy. Because water density changes with temperature, most ultrasonic water meters also measure the water temperature as a component of the volume calculation.

## Selecting a Meter

- Meters are selected using several factors. rate size of pipe pressure loss and shly considerations, such as fire senvice regulations For thes of one inch and smailer and low llow ratch positive displacement types of meten ve corimon For residential uses, $5 / 8$ or $21 / 4$ mith es are used. For medium flows, such ois in ap riment buildings, businesses, and pula 18 buldings, positive displacement meters in erkis of " 112 ', or two inches are used. In sizes of wo and thee inches, either displacement mulilet or turbine types of maters can be used. In the thre: to four-inch size range, the meter tye depands on the average flow rate. If the flow mate is berveen five and 35 percent of maximum flow rate the positive displacement type is betta: If the flow rates are going ro be 10 to 15 percent of the maximum capicity o tarbine sype should be used if close accuracy at fow flows is important but large flows also have to be measured a compound meter is best.



## Water Meter Reading

- A standard water meter uses two common types of registers straight and circular - to read the flow of water in cubic feet or inches.
- The registers can be observed on the surface of the meter. The straight registers can be read like an odometer in a car. On some larger meters; a multiplier will be present on the register face, which can be noted as 10x, 100x or 1000x based on the size of the meter. Circular registers, on the other hand, are more complex to calculate water usage. They employ a series of dials marked with divisions of ten.
- There are several ways of reading the water meter, which includes:
- Direct reading
* Remote reading, which is accomplished via an electronic signal using a wire where one can either directly read or touch read.
- Touch read or plug-in reading that employs a handheld device which acquires the electronic signal by touching the remote station or plugging-in. The signal is then translated into the readings that are stored in the handheld device.
* Automatic meter reading, in which the meter reader obtains readings through radio transmission.



## Applications

Given below are some of the major uses of water meter:

1. It detects water leaks in the distribution network
2. It identifies potential well, pump or irrigation system problems
3. It determines efficiency of a water plant for supplying water.

## Benefits

- The benefits of metering are that:

1. in conjunction with volumetric pricing it provides an incentive for water conservation,
2. it helps to detect water leaks in the distribution network, thus providing a basis for reducing the amount of non-revenue water;
3. it is a precondition for quantitytargeting of water subsidies to the poor.
 and replace meters,
-Recurring costs to read meters and issue bills based on consumption instead of bills based on monthly flat fees.


While the cost of purchasing residential meters is low, the total life cycle costs of metering are high. For example, retrofitting flats in large buildings with meters for every flat can involve major and thus costly plumbing work.

## Problems



## Where will the water meter be fitted?

* We normally fit the water meter inside your home free of charge (on the water supply pipe, which is the pipe which brings water into your home). If we cannot fit the meter inside your home, we will fit it outside instead (in some instances a purpose made meter box may already exist outside your home - if this is the case we would fit the meter in this box).
* We will visit your home to carry out a survey to decide on the best place to fit the meter. We will try our best to fit your meter during this visit, but we may have to come back again if this isn't possible.
As the meter needs to be attached to your water supply pipe (which is often found under the kitchen sink), we may ask you to move certain items so that we can do this (such as any white goods that might be blocking the water supply pipe, wood panelling etc).
* We can do minor joinery work when we fit your meter, and will always make sure you are happy about this before we start any work.


Table 2 Meter Size, Threads, Nomiaal Fiow Rates and Dimensions
All Simutuots is millateri.

## Water Meter Standards

| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (1) | (9) | (10) | (3) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 15 | $0 \frac{3}{4} B$ | 13 | 10 | 12 | 200 | 14s | 110 | 100 | 50 | 标 |
| 31 | G18 | 25 | 12 | 14 | 29 | 150 | 165 | 130 | 00 | 34) |
| 5 | $\text { (6) } \frac{1}{4} B$ | 35 | 12 | 16 | 300 | 260 | - | 170 | 65 | 380 |
| 40 | (i.28 | 10 | 13 | 31 | 43) | 300 | * | 210 | 3 | 300 |
| 98 | $0 \frac{1}{2} 8$ | 15 | 15 | 8 | 40 | 330 | * | 270 | 115 | 360 |

NOTE - Mekn shall be sapplied with nuts and nipplo asles specified oblerwise by the purchaser:

## Plumbing



## Backflow Valves

* External Pressure: if a foreign body other than the water from your main water supply has entered the system, say excess street water following heavy rains, a flood, or there is some debris mixed with the water that is stronger than the flow of the mains system, it can cause the standard water flow to get distorted and the added pressure can cause the valve to burst, break or come off.


## Hazards of Backflow Valves Malfunctioning

* If the backflow valves in the mains water supply system are not functioning correctly and there is a chemical plant or industry of some sort located in the vicinity you run the risk of having your main water supply polluted. This is also true of situations where people have small workshops on their residential premises that are connected to the main supply.



## Water

## Conservation

- Simple ways to save water 1. Turn off the tap while brushing your teeth. A running tap wastes more than six litres of water a minute-
- 2 . Make sure that your washing machine and dishwasher (if you have one) are full before you use them. Try to use the most water and energy efficient settings.
- 3. Fix a dripping tap. This can save as much as 75 litres of water a day.
- 4. Use a bowl to wash up rather than leaving the hot tap running. You could save about 3500/- a year on your energy bills.
- 5. Install a water butt. The average rooftop collects 85,000 litres of water every year. A water butt is a great way to put some of this to use.
- 6. Check the overfiow on your toilet cistern to make sure it is not using more water than necessary


## Hydraulic Analysis of Water Networks

- The solution to the problem is based on the same basic hydraulic principles that govern simple and compound pipes that were discussed previously.
- The following are the most common methods used to analyze the Grid-system networks:

1. Hardy Cross method.
2. Sections method.
3. Circle method.
4. Computer programs (WaterCAD,Epanet, Loop, Alied...)

## Hardy Cross Method

- This method is applicable to closed-loop pipe networks (a complex set of pipes in parallel).

- It depends on the idea of head balance method
- Was originally devised by professor Hardy Cross.


## Assumptions / Steps of this method:

1. Assume that the water is withdrawn from nodes only; not directly from pipes.
2. The discharge, $Q$, entering the system will have $(+)$ value, and the discharge, $Q$, leaving the system will have ( - ) value.
3. Usually neglect minor losses since these will be small with respect to those in long pipes, i.e.; Or could be included as equivalent lengths in each pipe.
4. Assume flows for each individual pipe in the network.
5. At any junction (node), as done for pipes in parallel,

$$
\sum Q_{\text {in }}=\sum Q_{\text {out }} \quad \text { or } \quad \sum Q=0
$$

6. Around any loop in the grid, the sum of head losses must equal to zero: $\quad \sum_{\text {loop }} h_{f}=0$

- Conventionally, clockwise flows in a loop are considered (+) and produce positive head losses; counterclockwise flows are then (-) and produce negative head losses.
- This fact is called the head balance of each loop, and this can be valid only if the assumed $Q$ for each pipe, within the loop, is correct.
- The probability of initially guessing all flow rates correctly is virtually null.
- Therefore, to balance the head around each loop, a flow rate correction $(\Delta)$ for each loop in the network should be computed, and hence some iteration scheme is needed.

7. After finding the discharge correction, $\Delta$ (one for each loop) , the assumed discharges $Q_{0}$ are adjusted and another iteration is carried out until all corrections (values of $\Delta$ ) become zero or negligible. At this point the condition of :

$$
\sum_{\text {loop }} h_{f} \cong 0.0 \quad \text { is satisfied. }
$$

## Notes:

- The flows in pipes common to two loops are positive in one loop and negative in the other.
- When calculated corrections are applied, with careful attention to sign, pipes common to two loops receive both corrections.


## How to find the correction value $(\Delta)$

$$
\begin{aligned}
& h_{F}=k Q^{n} \longrightarrow(1) \\
& n=2 \Rightarrow \text { Darcy, Manning } \\
& n=1.85 \Rightarrow \text { Hazen William }
\end{aligned}
$$

from $1 \& 2$
$h_{\mathrm{f}}=k Q^{n}=k\left(Q_{o}+\Delta\right)^{n}=k\left[Q_{o}^{n}+n Q_{o}^{n-1} \Delta+\frac{n(n-1)}{2} Q_{o}^{n-2} \Delta^{2}+\ldots.\right]$
Neglect terms contains $\Delta^{2} \quad h_{\mathrm{f}}=k Q^{n}=k\left(Q_{o}^{n}+n Q_{o}^{n-1} \Delta\right)$
For each loop
$\sum_{\text {loop }} h_{F}=\sum_{\text {loop }} k Q^{n}=0$
$\therefore \sum k Q^{n}=\sum k Q_{o}^{n}+\sum n k Q^{(n-1)} \Delta=0$

$$
\Delta=\frac{-\sum k Q_{o}^{n}}{\sum n k Q_{o}^{(n-1)}}=\frac{-\sum h_{F}}{n \sum \frac{h_{F}}{Q_{o}}}
$$

- Note that if Hazen Williams (which is generally used in this method) is used to find the head losses, then

$$
\begin{array}{r}
h_{f}=k Q^{1.85} \quad(n=1.85), \text { then } \\
\Delta=\frac{-\sum h_{f}}{1.85 \sum \frac{h_{f}}{Q}}
\end{array}
$$

- If Darcy-Wiesbach is used to find the head losses, then

$$
h_{f}=k Q^{2} \quad(n=2), \text { then }
$$

$$
\Delta=\frac{-\sum h_{f}}{2 \sum \frac{h_{f}}{Q}}
$$

## Example

Solve the following pipe network using Hazen William Method $\mathrm{C}_{\mathrm{HW}}=100$

| pipe | L | $\mathbf{D}$ |
| :--- | :--- | :--- |
| 1 | 305 m | 150 mm |
| 2 | 305 m | 150 mm |
| 3 | 610 m | 200 mm |
| 4 | 457 m | 150 mm |
| 5 | 153 m | 200 mm |



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$$
\begin{aligned}
& h_{f}=\frac{10.7 L}{C_{H W}^{1.852} D^{4.87}} Q^{1.852} \Rightarrow C_{H W}=100, Q=\text { in } \mathrm{L} / \mathrm{s} \\
& h_{f}=\frac{10.7 L}{C_{H W}^{1.852} D^{4.87}}\left(\frac{Q}{1000}\right)^{1.852} \\
& h_{f}=\left\{6.02 \times 10^{-9} \frac{L}{D^{4.87}}\right\} Q^{1.852}
\end{aligned}
$$

$\mathbf{1}^{\text {st }}$ Iteration $h_{f}=\{K\} Q^{1.852}$


1 Iteration

| Loop | Pipe | $\begin{aligned} & \text { Dia } \\ & (\mathrm{m}) \\ & \hline \end{aligned}$ | $\begin{gathered} \mathrm{L} \\ (\mathrm{~m}) \end{gathered}$ | K | $\begin{gathered} \mathbf{Q}_{\circ} \\ (\mathrm{L} / \mathrm{s}) \\ \hline \end{gathered}$ | $\boldsymbol{h}_{f}$ <br> (m) | $\begin{aligned} & \boldsymbol{h}_{f} / \mathbf{Q}_{0} \\ & (\mathrm{~m} / \mathrm{L} / \mathrm{s}) \end{aligned}$ | $\begin{gathered} \text { Correction } \\ \mathrm{L} / \mathrm{s} \\ \hline \end{gathered}$ | $\begin{aligned} & \mathrm{Q} \\ & \mathrm{~L} / \mathrm{s} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 0.150 | 305 | 0.0187 | +24.0 | +6.68 | 0.28 | -0.24 | +23.76 |
|  | 2 | 0.150 | 305 | 0.0187 | +11.4 | +1.69 | 0.15 | -0.24+0.57 | +11.73 |
|  |  | 0.200 | 610 | 0.0092 | -39.0 | -8.09 | 0.21 | -0.24 | -39.24 |
|  |  |  |  |  |  | +0.28 | 0.64 |  |  |
| 2 | 2 | 0.150 | 305 | 0.0187 | -11.4 | -1.69 | 0.15 | -0.57+0.24 | -11.73 |
|  | 4 | 0.150 | 457 | 0.0280 | +12.6 | +3.04 | 0.24 | -0.57 | +12.03 |
|  | 5 | 0.200 | 153 | 0.0023 | -25.2 | -0.90 | 0.04 | -0.57 | -25.77 |
|  |  |  |  |  |  | +0.45 | 0.43 |  |  |

$$
\Delta_{1}=\frac{-\sum h_{F}}{n \sum \frac{h_{F}}{Q_{o}}}=\frac{-0.28}{1.85(0.64)}=-0.24 \quad \Delta_{2}=\frac{-\sum h_{F}}{n \sum \frac{h_{F}}{Q_{o}}}=\frac{-0.45}{1.85(0.43)}=-0.57
$$

for pipe2 in loop 1
$\Delta=\Delta_{1}-\Delta_{2}$
for pipe2 in loop $\underline{2}$
$\Delta=\Delta_{2}-\Delta_{1}$

$2^{\text {nd }}$ Iteration

| Loop | Pipe | Dia <br> (m) | $\begin{gathered} \mathbf{L} \\ (\mathrm{m}) \end{gathered}$ | K | $\begin{gathered} \mathrm{Q}_{0} \\ (\mathrm{~L} / \mathrm{s}) \end{gathered}$ | $h_{f}$ <br> (m) | $\begin{aligned} & \boldsymbol{h}_{f} / \mathrm{Q}_{\circ} \\ & (\mathrm{m} / \mathrm{L} / \mathrm{s}) \end{aligned}$ | Correction L/s | $\begin{aligned} & \mathrm{Q} \\ & \mathrm{~L} / \mathrm{s} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 0.150 | 305 | 0.0187 | +23.76 | +6.56 | 0.28 | -0.15 | +23.61 |
|  | 2 | 0.150 | 305 | 0.0187 | +111.73 | - +1.79 | -0.15 | -0.1-5+0.0. | - +11.67 |
|  | 3 | 0.200 | 610 | 0.0092 | -39.24 | -8.17 | 0.21 | -0.15 | -39.39 |
|  |  |  |  |  |  | +0.18 | 0.64 |  |  |
| 2 | 2 | 0.150 | 305 | 0.0187 | -11.73 | -1.78 | -0.15 | $=0.09+0.15$ | = 11.67 |
|  | 4 | 0.150 | 457 | 0.0280 | +12.03 | +2.79 | 0.23 | -0.09 | +11.94 |
|  | 5 | 0.200 | 153 | 0.0023 | -25.77 | -0.94 | 0.04 | -0.09 | -25.86 |
|  |  |  |  |  |  | +0.07 | 0.42 |  |  |

$$
\Delta_{1}=\frac{-\sum h_{F}}{n \sum \frac{h_{F}}{Q_{o}}}=\frac{-0.18}{1.85(0.64)}=-0.15 \quad \Delta_{1}=\frac{-\sum h_{F}}{n \sum \frac{h_{F}}{Q_{o}}}=\frac{-(0.07)}{1.85(0.42)}=-0.09
$$

for pipe2 in loop 1
$\Delta=\Delta_{1}-\Delta_{2}$
for pipe2 in loop 2
$\Delta=\Delta_{2}-\Delta_{1}$

## Example



## Iteration 1

| الانبوب | $D(\mathrm{~mm})$ | $L(\mathrm{~m})$ | $Q_{1}\left(\mathrm{~m}^{3} / \mathrm{s}\right)$ | $i$ <br> $\mathrm{~m} / 1000 \mathrm{~m}$ | $h r, \mathrm{~m}$ | $\frac{h r}{Q_{1}}$ | $\Delta$ | $Q_{2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & A B \\ & B E \\ & E F \\ & F A \end{aligned}$ | $\begin{aligned} & 508 \\ & 406 \\ & 406 \\ & 610 \end{aligned}$ | $\begin{array}{r} 915 \\ 1220 \\ 915 \\ 1220 \end{array}$ | $\begin{array}{r} 0.175 \\ 0.045 \\ -0.088 \\ -0.263 \end{array}$ | $\begin{array}{r} 1.62 \\ 0.37 \\ -1.33 \\ -1.41 \end{array}$ | 1.48 | 8.46 | $\begin{aligned} & +0.014 \\ & +0.014-0.006=+0.008 \\ & +0.014-0.022=-0.008 \\ & +0.014 \end{aligned}$ | 0.1890.053-0.096-0.249 |
|  |  |  |  |  | 0.45 | 10.00 |  |  |
|  |  |  |  |  | -1.22 | 13.86 |  |  |
|  |  |  |  |  | -1.72 | 6.54 |  |  |
|  |  |  |  |  | $\Sigma=-1.01$ | 38.86 |  |  |
| $\begin{aligned} & B C \\ & C D \\ & D E \\ & E B \end{aligned}$ | $\begin{aligned} & 508 \\ & 406 \\ & 305 \\ & 406 \end{aligned}$ | $\begin{array}{r} 915 \\ 1220 \\ 915 \\ 1220 \end{array}$ | $\begin{array}{r} 0.130 \\ 0.088 \\ -0.065 \\ -0.045 \end{array}$ | $\begin{array}{r} 0.95 \\ 1.33 \\ -3.15 \\ -0.37 \end{array}$ | 0.87 | 6.69 | $\begin{aligned} & +0.006 \\ & +0.006 \\ & +0.006-(-0.005)=+0.011 \\ & +0.006-(0.014)=-0.008 \end{aligned}$ | $\begin{array}{r} 0.136 \\ 0.094 \\ -0.054 \\ -0.053 \end{array}$ |
|  |  |  |  |  | 1.62 | 18.41 |  |  |
|  |  |  |  |  | -2.88 | 44.31 |  |  |
|  |  |  |  |  | -0.45 | 10.00 |  |  |
|  |  |  |  |  | $\Sigma=-0.84$ | 79.41 |  |  |
| $\begin{aligned} & F E \\ & E H \\ & H G \\ & G F \end{aligned}$ | $\begin{aligned} & 406 \\ & 305 \\ & 406 \\ & 406 \end{aligned}$ | $\begin{array}{r} 915 \\ 1220 \\ 915 \\ 1220 \end{array}$ | $\begin{array}{r} 0.088 \\ 0.045 \\ -0.088 \\ -0.175 \end{array}$ | $\begin{array}{r} 1.33 \\ 1.48 \\ -1.33 \\ -4.85 \end{array}$ | 1.22 | 13.86 | $\begin{aligned} & +0.022-(0.014)=+0.008 \\ & +0.022-(-0.005)=+0.027 \\ & +0.022 \\ & +0.022 \end{aligned}$ | 0.0960.072-0.066-0.153 |
|  |  |  |  |  | 1.81 | 40.22 |  |  |
|  |  |  |  |  | -1.22 | 13.86 |  |  |
|  |  |  |  |  | -5.91 | 33.77 |  |  |
|  |  |  |  |  | $\Sigma=-4.1$ | 101.71 |  |  |
| $\begin{aligned} & \hline E D \\ & D I \\ & I H \\ & H E \end{aligned}$ | $\begin{aligned} & 305 \\ & 305 \\ & 305 \\ & 305 \end{aligned}$ | $\begin{array}{r} 915 \\ 1220 \\ 915 \\ 1220 \end{array}$ | $\begin{array}{r} 0.065 \\ 0.045 \\ -0.045 \\ -0.045 \end{array}$ | $\begin{array}{r} 3.15 \\ 1.48 \\ -1.48 \\ -1.48 \end{array}$ | 2.88 | 44.31 | $\begin{aligned} & -0.005-(0.006)=-0.011 \\ & -0.005 \\ & -0.005 \\ & -0.005-(0.022)=-0.027 \end{aligned}$ | $\begin{array}{r} 0.054 \\ 0.040 \\ -0.050 \\ -0.072 \end{array}$ |
|  |  |  |  |  | 1.81 | 40.22 |  |  |
|  |  |  |  |  | -1.35 | 30.00 |  |  |
|  |  |  |  |  | -1.81 | 40.22 |  |  |
|  |  |  |  |  | $\Sigma=+1.53$ | 154.75 |  |  |

for Iteration 1
$\Delta=\frac{-\sum k Q_{o}^{n}}{\sum n k Q_{o}^{(n-1)}}=\frac{-\sum h_{f}}{n \sum \frac{h_{f}}{Q_{o}}}$

$$
\begin{aligned}
& \Lambda_{1}=\frac{-(-1.01)}{1.85(38.86)}=+0.014 \\
& \Lambda_{2}=\frac{-(-0.84)}{1.85(79.41)}=+0.006 \\
& \Lambda_{3}=\frac{-(-4.1)}{1.85(101.71)}=+0.022 \\
& \Lambda_{4}=\frac{-(+1.53)}{1.85(154.75)}=-0.005
\end{aligned}
$$

Iteration 2

| الأنبوب | $Q_{2}$ | $i$ | $h f$ | $h f / Q$ | $\Delta$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $A B$ | 0.189 | 1.86 | 1.70 | 8.99 | $\begin{aligned} & +0.009 \\ & +0.009+\text { negl }=+0.009 \\ & +0.009-(-0.003)=+0.012 \\ & +0.009 \end{aligned}$ |
| BE | 0.053 | 0.51 | 0.62 | 11.70 |  |
| EF | -0.096 | -1.57 | -1.44 | 15.00 |  |
| $\boldsymbol{F A}$ | -0.249 | -1.28 | -1.56 | 6.27 |  |
|  |  |  | $\Sigma=-0.68$ | 41.96 |  |
| BC | 0.136 | 1.02 | 0.93 | 6.84 | negl <br> negl <br> negl $-0.008=-0.008$ <br> negl $-0.009=-0.009$ |
| $C D$ | 0.094 | 1.48 | 1.80 | 19.15 |  |
| DE | -0.054 | -2.28 | $-2.08$ | 38.52 |  |
| $\boldsymbol{E B}$ | -0.053 | -0.51 | -0.62 | 11.70 |  |
|  |  |  | $\Sigma=+0.03$ | 76.21 |  |
| $\boldsymbol{F E}$ | 0.096 | 1.57 | 1.44 | 15.00 | $\begin{aligned} & -0.003-0.009=-0.012 \\ & -0.003-0.008=-0.011 \\ & -0.003 \\ & -0.003 \end{aligned}$ |
| EH | 0.072 | 3.65 | 4.45 | 61.80 |  |
| $\boldsymbol{H G}$ | -0.066 | -0.79 | -0.72 | 10.91 |  |
| $\boldsymbol{G F}$ | -0.153 | - 3.75 | -4.57 | 29.87 |  |
|  |  |  | $\Sigma=+0.6$ | 117.58 |  |
| ED | 0.054 | 2.28 | 2.08 | 38.52 | $\begin{aligned} & +0.008+\text { negl }=+0.008 \\ & +0.008 \\ & +0.008 \\ & +0.008-(-0.003)= \\ & \quad+0.011 \end{aligned}$ |
| DI | 0.040 | 1.18 | 1.44 | 36.00 |  |
| IH | -0.050 | $-1.83$ | -1.67 | 33.40 |  |
| HE | -0.072 | -3.65 | -4.45 | 61.81 | $\begin{aligned} & +0.008-(-0.003)= \\ & +0.011 \end{aligned}$ |
|  |  |  | $\Sigma=-2.60$ | 169.73 |  |

## Iteration 3

| الألبوب | $Q_{3}$ | $i$ | $h f$ | $h_{f} / Q$ | $\Delta$ | $Q_{4}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $A B$ | 0.198 | 2.02 | 1.85 | 9.34 | -0.001 | 0.197 |
| $B E$ | 0.062 | 0.68 | 0.83 | 13.39 | $-0.001-0.005=-0.006$ | 0.056 |
| EF | -0.084 | -1.25 | -1.14 | 13.57 | $-0.001-0.005=-0.006$ | -0.090 |
| $F A$ | $-0.240$ | $-1.20$ | -1.46 | 6.08 | -0.001 | -0.241 |
|  |  |  | $\mathbf{\Sigma}=+0.08$ | 42.38 |  |  |
| $B C$ | 0.136 | 1.02 | 0.93 | 6.84 | +0.005 | 0.141 |
| $C D$ | 0.094 | 1.49 | 1.82 | 19.36 | +0.005 | 0.099 |
| DE | -0.062 | -2.97 | -2.72 | 43.87 | $+0.005+0.001=+0.006$ | -0.056 |
| EB | -0.062 | -0.68 | -0.83 | 13.39 | $+0.005+0.001=+0.006$ | -0.056 |
|  |  |  | $\boldsymbol{\Sigma}=-0.8$ | 83.46 |  |  |
| $F E$ | 0.084 | 1.25 | 1.14 | 13.57 | $+0.005+0.001=+0.006$ | 0.090 |
| EH | 0.061 | 2.68 | 3.27 | 53.61 | $+0.005+0.001=+0.006$ | 0.067 |
| $H G$ | -0.069 | -0.84 | -0.77 | 11.16 | +0.005 | -0.064 |
| GF | -0.156 | -3.90 | -4.75 | 30.45 | +0.005 | -0.151 |
|  |  |  | $\Sigma=-1.11$ | 108.79 |  |  |
| $E D$ | 0.062 | 2.97 | 2.72 | 43.87 | $-0.001-0.005=-0.006$ | 0.056 |
| DI | 0.048 | 1.68 | 2.05 | 42.71 | -0.001 | 0.047 |
| IH | -0.042 | -1.31 | -1.20 | 28.57 | -0.001 |  |
| HE | -0.061 | -2.68 | -3.27 | 53.61 | $-0.001-0.005=-0.006$ | -0.067 |
|  |  |  | $\boldsymbol{\Sigma}=+0.30$ | 168.76 |  |  |

## Example

- The figure below represents a simplified pipe network.
- Flows for the area have been disaggregated to the nodes, and a major fire flow has been added at node $G$.
- The water enters the system at node $A$.
- Pipe diameters and lengths are shown on the figure.
- Find the flow rate of water in each pipe using the HazenWilliams equation with $C_{H W}=100$.
- Carry out calculations until the corrections are less then $0.2 \mathrm{~m}^{3} / \mathrm{min}$.




## First Correction

## Loop I

| Line | Flow, $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, m | $s$ | $\begin{aligned} & h, \\ & \mathrm{~m} \end{aligned}$ | $h / Q$. <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $A B$ | 13 | 0.40 | 1250 | 0.0110 | 13.75 | 1.058 |
| BH | 2 | 0.25 | 1100 | 0.0033 | 3.63 | 1.815 |
| HI | -9.8 | 0.30 | 1000 | -0.0260 | -26.00 | 2.653 |
| IA | -12 | 0.30 | 1000 | -0.0380 | -37.80 | 3.150 |
|  |  |  |  |  | -46.42 | 8.676 |
| $\Delta_{1}=-\frac{-46.42}{1.85(8.676)}=2.9$ |  |  |  |  |  |  |

Loop II

| Line | Flow, $\mathrm{m}^{3} / \mathrm{min}$ | Dia m | Length, m | $s$ | $h,$ m | $\begin{aligned} & \mathrm{h} / \mathrm{Q} \\ & \mathrm{~m} / \mathrm{m}^{3} / \mathrm{min} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| BE | 7.5 | 0.35 | 400 | 0.0075 | 3.00 | 0.400 |
| $E F$ | 7.0 | 0.35 | 600 | 0.0066 | 3.96 | 0.566 |
| $F G$ | 4.7 | 0.30 | 1000 | 0.0067 | 6.68 | 1.423 |
| GH | -9.3 | 0.30 | 1250 | $-0.0236$ | -29.54 | 3.177 |
| HB | -2.0 | 0.25 | 1100 | -0.0033 | -3.63 | 1.815 |
|  |  |  |  |  | -19.53 | 7.381 |
| $\Delta_{11}=-\frac{-19.53}{1.85(7.381)}=1.4$ |  |  |  |  |  |  |

Loop III

| Line | Flow, $\mathrm{m}^{3} / \mathrm{min}$ | Dia, m | Length, m | $s$ | $h,$ | $\begin{aligned} & h / Q \\ & \mathrm{~m} / \mathrm{m}^{3} / \mathrm{min} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| BC | 1.5 | 0.20 | 500 | 0.0058 | 2.91 | 1.937 |
| $C D$ | 1.0 | 0.20 | 400 | 0.0028 | 1.10 | 1.110 |
| DE | -0.5 | 0.20 | 500 | -0.0008 | -0.38 | 0.762 |
| $E B$ | -7.5 | 0.35 | 400 | -0.0075 | -3.00 | 0.400 |
|  |  |  |  |  | 0.63 | 4.209 |
| $\Delta_{\mathrm{III}}=-\frac{0.63}{1.85(4.209)}=-0.1$ |  |  |  |  |  |  |

## Second Correction

## Loop I

| Line | Flow, <br> $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, <br> m | $s$ | $h$, <br> m | $h / Q$, <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | ---: | :--- | :--- | :--- | :--- | :--- |
| $\boldsymbol{A B}$ | 15.9 | 0.40 | 1250 | 0.0157 | 19.65 | 1.236 |
| $\boldsymbol{B H}$ | 3.5 | 0.25 | 1100 | 0.0094 | 10.34 | 2.954 |
| $\boldsymbol{H I}$ | -6.9 | 0.30 | 1000 | -0.0136 | -13.60 | 1.971 |
| $\boldsymbol{I A}$ | -9.1 | 0.30 | 1000 | -0.0227 | -22.70 | 2.495 |
|  |  |  |  |  | -6.31 | 8.656 |

$$
\Delta_{1}=0.4
$$

Loop II

| Line | Flow, <br> $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, <br> m | $s$ | $h$, <br> m | $h / Q$. <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | :---: | :--- | :--- | :--- | :--- | :--- |
| $B E$ | 9.0 | 0.35 | 400 | 0.0105 | 4.20 | 0.467 |
| $E F$ | 8.4 | 0.35 | 600 | 0.0093 | 5.58 | 0.664 |
| $F G$ | 6.1 | 0.30 | 1000 | 0.0108 | 10.80 | 1.770 |
| $G H$ | -7.9 | 0.30 | 1250 | -0.0175 | -21.88 | 2.769 |
| $H B$ | -3.5 | 0.25 | 1100 | -0.0094 | -10.34 | 2.954 |
|  |  |  |  |  | -11.64 | 8.624 |

$$
\Delta_{11}=0.7
$$

## Loop III

| Line | Flow, <br> $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, <br> m | $s$ | $h$. <br> m | $h / Q$, <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | :---: | :--- | :--- | :--- | :--- | :--- |
| $B C$ | 1.4 | 0.20 | 500 | 0.0051 | 2.55 | 1.821 |
| $C D$ | 0.9 | 0.20 | 400 | 0.0023 | 0.92 | 1.022 |
| $D E$ | -0.6 | 0.20 | 500 | -0.0011 | -0.55 | 0.917 |
| $E B$ | -9.0 | 0.35 | 400 | -0.0105 | -4.20 | 0.467 |
|  |  |  |  |  | -1.28 | $\underline{4.227}$ |

$$
\Delta_{\mathrm{III}}=0.2
$$

Third Correction

Loop I

| Line | Flow, <br> $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, <br> m | $s$ | $h$, <br> m | $h / Q$, <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | ---: | :--- | :--- | :--- | :--- | :--- |
| $A B$ | 16.3 | 0.40 | 1250 | 0.0165 | 20.63 | 1.265 |
| $B H$ | 3.2 | 0.25 | 1100 | 0.0080 | 8.80 | 2.750 |
| $H I$ | -6.5 | 0.30 | 1000 | -0.0122 | -12.20 | 1.877 |
| $I A$ | -8.7 | 0.30 | 1000 | -0.0209 | -20.90 | 2.402 |
|  |  |  |  |  | -3.67 | 8.294 |

$$
\Delta_{1}=0.2
$$

Loop II
Flow, Dia, Length, $h$, $h / Q$,

| Line | $\mathrm{m}^{3} / \mathrm{min}$ | m | m | $s$ | m | $\mathrm{~m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | ---: | :--- | ---: | ---: | ---: | :--- |
| $B E$ | 9.5 | 0.35 | 400 | 0.0116 | 4.64 | 0.488 |
| $E F$ | 9.1 | 0.35 | 600 | 0.0107 | 6.42 | 0.705 |
| $F G$ | 6.8 | 0.30 | 1000 | 0.0132 | 13.20 | 1.941 |
| $G H$ | -7.2 | 0.30 | 1250 | -0.0147 | -18.38 | 2.552 |
| $H B$ | -3.2 | 0.25 | 1100 | -0.0080 | -8.80 | 2.750 |
|  |  |  |  |  | -2.92 | 8.436 |

$$
\Delta_{11}=0.2
$$

Loop III

| Line | Flow, <br> $\mathrm{m}^{3} / \mathrm{min}$ | Dia, <br> m | Length, <br> m | $s$ | $h$, <br> m | $h / Q$, <br> $\mathrm{m} / \mathrm{m}^{3} / \mathrm{min}$ |
| :--- | :---: | :--- | :--- | :--- | :--- | :--- |
| $B C$ | 1.6 | 0.20 | 500 | 0.0066 | 3.30 | 2.063 |
| $C D$ | 1.1 | 0.20 | 400 | 0.003 .3 | 1.32 | 1.200 |
| $D E$ | -0.4 | 0.20 | 500 | -0.0005 | -0.25 | 0.625 |
| $E B$ | -9.5 | 0.35 | 400 | -0.0116 | -4.64 | 0.488 |
|  |  |  |  |  | -0.27 | 4.376 |

$$
\Delta_{\mathrm{III}}=0.03
$$



## General Notes

- Occasionally the assumed direction of flow will be incorrect. In such cases the method will produce corrections larger than the original flow and in subsequent calculations the direction will be reversed.
- Even when the initial flow assumptions are poor, the convergence will usually be rapid. Only in unusual cases will more than three iterations be necessary.
- The method is applicable to the design of new system or to evaluate the proposed changes in an existing system.
- The pressure calculation in the above example assumes points are at equal elevations. If they are not, the elevation difference must be includes in the calculation.
- The balanced network must then be reviewed to assure that the velocity and pressure criteria are satisfied. If some lines do not meet the suggested criteria, it would be necessary to increase the diameters of these pipes and repeat the calculations.


## Summary

- Assigning clockwise flows and their associated head losses are positive, the procedure is as follows:
- Assume values of $Q$ to satisfy $\Sigma Q=0$.
- Calculate $H_{L}$ from $Q$ using $h_{f}=K^{1} Q^{2}$.
- If $\sum h_{f}=0$, then the solution is correct.

- If $\sum h_{f} \neq 0$, then apply a correction factor, $\Delta \mathrm{Q}$, to all Q and repeat from step (2).
- For practical purposes, the calculation is usually terminated when $\sum \mathrm{h}_{\mathrm{f}}<0.01 \mathrm{~m}$ or $\Delta \mathrm{Q}<1 \mathrm{~L} / \mathrm{s}$.
- A reasonably efficient value of $\Delta \mathrm{Q}$ for rapid convergence is given by;



## Example

- The following example contains nodes with different elevations and pressure heads.
- Neglecting minor loses in the pipes, determine:
- The flows in the pipes.
- The pressure heads at the nodes.


| Pipe | AB | BC | CD | DE | EF | AF | BE |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Length $(\mathrm{m})$ | 600 | 600 | 200 | 600 | 600 | 200 | 200 |
| Diameter $(\mathrm{mm})$ | 250 | 150 | 100 | 150 | 150 | 200 | 100 |

Roughness size of all pipes $=0.06 \mathrm{~mm}$
Pressure head elevation at $A=70 \mathrm{~m}$ o.d $\quad$ Assume $T=15^{\circ} \mathrm{C}$

## Elevation of pipe nodes

| Node | A | B | C | D | E | F |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Elevation <br> (m o.d.) | 30 | 25 | 20 | 20 | 22 | 25 |

Assume flows magnitude and direction

First Iteration

- Loop (1)


| Pipe | $L$ <br> $(\mathrm{~m})$ | $D$ <br> $(\mathrm{~m})$ | $Q$ <br> $\left(\mathrm{~m}^{3} / \mathrm{s}\right)$ | $\boldsymbol{f}$ | $\boldsymbol{h}_{f}$ <br> $(\mathrm{~m})$ | $h_{f} / Q$ <br> $\left(\mathrm{~m} / \mathrm{m}^{3} / \mathrm{s}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{A B}$ | 600 | 0.25 | 0.12 | 0.0157 | 11.48 | 95.64 |
| $\boldsymbol{B E}$ | 200 | 0.10 | 0.01 | 0.0205 | 3.38 | 338.06 |
| $\boldsymbol{E F}$ | 600 | 0.15 | -0.06 | 0.0171 | -40.25 | 670.77 |
| $\boldsymbol{F A}$ | 200 | 0.20 | -0.10 | 0.0162 | -8.34 | 83.42 |
|  |  |  |  | $\Sigma$ | -33.73 | 1187.89 |

$\Delta=-\frac{-33.73}{2(1187.89)}=0.01419 \mathrm{~m}^{3} / \mathrm{s}=14.20 \mathrm{~L} / \mathrm{s}$

## First Iteration

- Loop (2)


| Pipe | $L$ <br> $(\mathrm{~m})$ | $\boldsymbol{D}$ <br> $(\mathrm{m})$ | $\boldsymbol{Q}$ <br> $\left(\mathrm{m}^{3} / \mathrm{s}\right)$ | $\boldsymbol{f}$ | $\boldsymbol{h}_{\boldsymbol{f}}$ <br> $(\mathrm{m})$ | $\boldsymbol{h}_{f} / Q$ <br> $\left(\mathrm{~m} / \mathrm{m}^{3} / \mathrm{s}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{B C}$ | 600 | 0.15 | 0.05 | 0.0173 | 28.29 | 565.81 |
| $\boldsymbol{C D}$ | 200 | 0.10 | 0.01 | 0.0205 | 3.38 | 338.05 |
| $\boldsymbol{D E}$ | 600 | 0.15 | -0.02 | 0.0189 | -4.94 | 246.78 |
| $\boldsymbol{E B}$ | 200 | 0.10 | -0.01 | 0.0205 | -3.38 | 338.05 |
|  |  |  |  | $\Sigma$ | 23.35 | 1488.7 |

$\Delta=-\frac{23.35}{2(1488.7)}=-0.00784 \mathrm{~m}^{3} / \mathrm{s}=-7.842 \mathrm{~L} / \mathrm{s}$


## Second Iteration

- Loop (2)


| Pipe | $L$ <br> $(\mathrm{~m})$ | $D$ <br> $(\mathrm{~m})$ | $\boldsymbol{Q}$ <br> $\left(\mathrm{m}^{3} / \mathrm{s}\right)$ | $\boldsymbol{f}$ | $\boldsymbol{h}_{\boldsymbol{f}}$ <br> $(\mathrm{m})$ | $\boldsymbol{h}_{f} / \boldsymbol{Q}$ <br> $\left(\mathrm{m} / \mathrm{m}^{3} / \mathrm{s}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{B C}$ | 600 | 0.15 | 0.04216 | 0.0176 | 20.37 | 483.24 |
| $\boldsymbol{C D}$ | 200 | 0.10 | 0.00216 | 0.0261 | 0.20 | 93.23 |
| $D E$ | 600 | 0.15 | -0.02784 | 0.0182 | -9.22 | 331.23 |
| $\boldsymbol{E B}$ | 200 | 0.10 | -0.03204 | 0.0186 | -31.48 | 982.60 |
|  |  |  |  | $\Sigma$ | -20.13 | 1890.60 |

$$
\Delta=-\frac{-20.13}{2(1890.3)}=0.00532 \mathrm{~m}^{3} / \mathrm{s}=5.32 \mathrm{~L} / \mathrm{s}
$$



| Pipe | $L$ <br> $(\mathrm{~m})$ | $D$ <br> $(\mathrm{~m})$ | $Q$ <br> $\left(\mathrm{~m}^{3} / \mathrm{s}\right)$ | $\boldsymbol{f}$ | $\boldsymbol{h}_{f}$ <br> $(\mathrm{~m})$ | $\boldsymbol{h}_{f} / \boldsymbol{Q}$ <br> $\left(\mathrm{m} / \mathrm{m}^{3} / \mathrm{s}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{A B}$ | 600 | 0.25 | 0.1296 | 0.0156 | 13.30 | 102.67 |
| $B E$ | 200 | 0.10 | 0.02207 | 0.0190 | 15.30 | 693.08 |
| $\boldsymbol{E F}$ | 600 | 0.15 | -0.05045 | 0.0173 | -28.78 | 570.54 |
| $\boldsymbol{F A}$ | 200 | 0.20 | -0.09045 | 0.0163 | -6.87 | 75.97 |
|  |  |  |  | $\Sigma$ | -7.05 | 1442.26 |

$$
\Delta=-\frac{-7.05}{2(1442.26)}=0.00244 \mathrm{~m}^{3} / \mathrm{s}=2.44 \mathrm{~L} / \mathrm{s}
$$

## Third Iteration

- Loop (2)


| Pipe | $L$ <br> $(\mathrm{~m})$ | $D$ <br> $(\mathrm{~m})$ | $\boldsymbol{Q}$ <br> $\left(\mathrm{m}^{3} / \mathrm{s}\right)$ | $\boldsymbol{f}$ | $\boldsymbol{h}_{\boldsymbol{f}}$ <br> $(\mathrm{m})$ | $\boldsymbol{h}_{f} / \boldsymbol{Q}$ <br> $\left(\mathrm{m} / \mathrm{m}^{3} / \mathrm{s}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $B C$ | 600 | 0.15 | 0.04748 | 0.0174 | 25.61 | 539.30 |
| $C D$ | 200 | 0.10 | 0.00748 | 0.0212 | 1.96 | 262.11 |
| $D E$ | 600 | 0.15 | -0.02252 | 0.0186 | -6.17 | 274.07 |
| $\boldsymbol{E B}$ | 200 | 0.10 | -0.02207 | 0.0190 | -15.30 | 693.08 |
|  |  |  |  | $\Sigma$ | 6.1 | 1768.56 |

$\Delta=-\frac{6.1}{2(1768.56)}=-0.00172 \mathrm{~m}^{3} / \mathrm{s}=-1.72 \mathrm{~L} / \mathrm{s}$

## After applying Third correction



## Velocity and Pressure Heads:

| pipe | $Q$ <br> $(1 / \mathrm{s})$ | $V$ <br> $(\mathrm{~m} / \mathrm{s})$ | $h_{f}$ <br> $(\mathrm{~m})$ |
| :---: | :---: | :---: | :---: |
| $\boldsymbol{A B}$ | 131.99 | 2.689 | 13.79 |
| $\boldsymbol{B E}$ | 26.23 | 3.340 | 21.35 |
| $\boldsymbol{F E}$ | 48.01 | 2.717 | 26.16 |
| $\boldsymbol{A F}$ | 88.01 | 2.801 | 6.52 |
| $\boldsymbol{B C}$ | 45.76 | 2.589 | 23.85 |
| $\boldsymbol{C D}$ | 5.76 | 0.733 | 1.21 |
| $\boldsymbol{E D}$ | 24.24 | 1.372 | 7.09 |



## Velocity and Pressure Heads:



## Example

For the square loop shown, find the discharge in all the pipes. All pipes are 1 km long and 300 mm in diameter, with a friction factor of 0.0163 . Assume that minor losses can be neglected.

-Solution:

- Assume values of Q to satisfy continuity equations all at nodes.
- The head loss is calculated using; $H_{L}=K^{1} Q^{2}$
$-H_{L}=h_{f}+h_{L m}$
- But minor losses can be neglected: $\Rightarrow h_{L m}=0$
- Thus $\quad H_{L}=h_{f}$

Head loss can be calculated using the Darcy-Weisbach equation

$$
\mathrm{h}_{\mathrm{f}}=\lambda \frac{\mathrm{L}}{\mathrm{D}} \frac{\mathrm{~V}^{2}}{2 \mathrm{~g}}
$$

$$
\begin{aligned}
& \mathrm{H}_{\mathrm{L}}=\mathrm{h}_{\mathrm{f}}=\lambda \frac{\mathrm{L}}{\mathrm{D}} \frac{\mathrm{~V}^{2}}{2 \mathrm{~g}} \\
& \mathrm{H}_{\mathrm{L}}=0.0163 \times \frac{1000}{0.3} \times \frac{\mathrm{V}^{2}}{2 \times 9.81} \\
& \mathrm{H}_{\mathrm{L}}=2.77 \frac{\mathrm{Q}^{2}}{\mathrm{~A}^{2}}=2.77 \times \frac{\mathrm{Q}^{2}}{\left(\frac{\pi}{4} \times 0.3^{2}\right)^{2}} \\
& \mathrm{H}_{\mathrm{L}}=554 \mathrm{Q}^{2} \\
& \mathrm{H}_{\mathrm{L}}=\mathrm{K}^{\prime} \mathrm{Q}^{2} \\
& \therefore \quad \mathrm{~K}^{\prime}=554
\end{aligned}
$$

## First trial

| Pipe | $\mathbf{Q}(\mathrm{L} / \mathbf{s})$ | $\mathbf{H}_{\mathrm{L}}(\mathbf{m})$ | $\mathbf{H}_{\mathrm{L}} / \mathbf{Q}$ |
| :---: | :---: | :---: | :---: |
| $A B$ | 60 | 2.0 | 0.033 |
| $B C$ | 40 | 0.886 | 0.0222 |
| $C D$ | 0 | 0 | 0 |
| $A D$ | -40 | -0.886 | 0.0222 |
| $\Sigma$ |  | 2.00 | 0.0774 |

Since $\sum H_{L}>0.01 \mathrm{~m}$, then correction has to be applied.

$$
\Delta \mathrm{Q}=-\frac{\sum \mathrm{H}_{\mathrm{L}}}{2 \sum^{\mathrm{H}_{\mathrm{L}}} / \mathrm{Q}}=-\frac{2}{2 \times 0.0774}=-12.92 \mathrm{~L} / \mathrm{s}
$$

## Second trial

| Pipe | $\mathbf{Q}(\mathbf{L} / \mathbf{s})$ | $\mathbf{H}_{\mathrm{L}}(\mathbf{m})$ | $\mathbf{H}_{\mathrm{L}} / \mathbf{Q}$ |
| :---: | :---: | :---: | :---: |
| $A B$ | 47.08 | 1.23 | 0.0261 |
| $B C$ | 27.08 | 0.407 | 0.015 |
| CD | -12.92 | -0.092 | 0.007 |
| $A D$ | -52.92 | -1.555 | 0.0294 |
| $\Sigma$ |  | -0.0107 | 0.07775 |

Since $\sum \mathrm{H}_{\mathrm{L}} \approx 0.01 \mathrm{~m}$, then it is 0 K .
Thus, the discharge in each pipe is as follows (to the nearest integer).

| Pipe | Discharge <br> $(\mathrm{L} / \mathrm{s})$ |
| :---: | :---: |
| $A B$ | 47 |
| $B C$ | 27 |
| $C D$ | -13 |
| $A D$ | -53 |




Loop 1 - ABDA
Loop 2 -- BCDB

First Correction Loop 1 - ABDA

| Pipe | Assumed <br> Flows, Qa <br> (L/s) | K <br> (given) | $\mathbf{H}_{\mathrm{L}}=\mathbf{K} . Q \mathbf{a}^{2}$ | $\left.\frac{H_{L}}{Q_{a}} \right\rvert\,$ |
| :---: | :---: | :---: | :---: | :---: | | Corrected Q |
| :--- |
| after first |
| correction |
| Qa1 =Qa $+\Delta \mathbf{1}$ |

Loop 1 - ABDA

| AB | 25 | 2 | 1250 | 50 | $25-2.5=22.5$ |
| :---: | :---: | :---: | :---: | :---: | :--- |
| BD <br> (common <br> pipe) | 25 | 1 | 625 | 25 | $25-$ <br> $2.5+12.5=+35$ |
| DA | -25 | 2 | $(-) 1250$ | 50 | $-25-2.5=$ |
|  | $\sum$ | $(+) 625$ | 125 |  |  |

$$
\Delta_{1}=\frac{(-) \sum H_{L}}{x \cdot \sum \frac{H_{L}}{Q_{a}}}
$$

$$
\therefore \Delta_{1}=(-) \frac{625}{2 \times 125}=(-) 2.5
$$

| Pipe | Assumed <br> Flows, Qa <br> $(\mathrm{L} / \mathrm{s})$ | K <br> (given) | $H_{\mathrm{L}}=\mathrm{K}^{2} Q^{2}$ | $\left\|\frac{H_{L}}{Q_{a}}\right\|$ | Corrected Q <br> after first <br> correction <br> Qa1 =Qa $+\Delta \mathbf{1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |

Loop 2 - BCDB

| BC | 50 | 4 | 10000 | 200 | $50-12 \cdot 5=37 \cdot 5$ |
| :--- | :---: | :---: | :---: | :---: | :--- |
| CD | -25 | 3 | $(-) 1875$ | 75 | $-25-12 \cdot 5=(-) 37 \cdot 5$ |
| BD <br> (common <br> pipe) | -25 | 1 | -625 | 25 | $-25+2.5-12.5=$ |
|  |  | $\sum$ | $(+) 7500$ | 300 | -35 |
|  | $\therefore \Delta_{1}^{\prime}=(-) \frac{7500}{2 \times 300}=(-) 12.5$ |  |  |  |  |

## Flows after First Correction

| Pipe | Corrected Discharge <br> after Ist Correction, <br> L/s |
| :---: | :---: |
| AB | Loop ABDA |
| BD | 22.5 |
| DA | 35.0 |
| BC | Loop BCDB |
| CD | 37.5 |
| DB | $(-) 37.5$ |



Second Correction Loop 1 -
$\left.\left.\begin{array}{|c|c|c|c|c|}\hline \text { Pipe } & \begin{array}{c}\text { Assumed } \\ \text { Flows, Qa } \\ \text { (L/s) }\end{array} & \begin{array}{c}\mathrm{K} \\ \text { (given) }\end{array} & \mathbf{H}_{\mathrm{L}}=\mathbf{K} \cdot \mathbf{Q a}^{2} & \frac{H_{L}}{Q_{a}}\end{array} \right\rvert\, \begin{array}{l}\text { Corrected Q } \\ \text { after first } \\ \text { correction } \\ \text { Qa1 =Qa }+\Delta \mathbf{1}\end{array}\right]$

Loop 1 - ABDA

| AB | 22.5 | 2 | 1012.5 | 45 | $22.5-2.7=$ <br> 19.8 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| BD <br> (common <br> pipe) | 35 | 1 | 1225 | 35 | $35-2.7+0.3=$ <br> +32.6 |
| DA | $(-) 27.5$ | 2 | $(-) 1512.5$ | 55 | $-27.5-2.7=$ <br> $(-) 30.2$ |
|  |  | $\sum$ | $(+) 725$ | 135 |  |

$$
\Delta_{1}=\frac{(-) \sum H_{L}}{x . \sum \frac{H_{L}}{Q_{a}}} \quad \Delta_{2}=(-) 725 /(2 \times 135)=(-) 2.7
$$

Second Correction Loop 2 - BCDB

| Pipe | Assumed Flows, Qa (L/s) | $\underset{\text { (given) }}{\mathrm{K}}$ | $\mathrm{H}_{\mathrm{L}}=\mathrm{K} \cdot \mathrm{Qa} \mathbf{a}^{\mathbf{2}}$ | $\frac{H_{L}}{Q_{a}}$ | Corrected Q after first correction Qa1 $=\mathbf{Q} \mathbf{a}+\Delta \mathbf{1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | (2) | (3) | (4) | (5) | (6) |
| Loop 2 - BCDB |  |  |  |  |  |
| BC | 37.5 | 4 | 5625 | 150 | $37 \cdot 5-0.30=37.2$ |
| CD | ( - ) 37.5 | 3 | $(-) 4218.75$ | 112.5 | $-37 \cdot 5-.3=(-) 37.8$ |
| $\begin{gathered} \mathrm{BD} \\ \text { (common } \\ \text { pipe) } \end{gathered}$ | ( - ) 35.0 | 1 | (-)1225 | 35 | $\begin{aligned} & -35+2.7-0.3= \\ & -32.6 \end{aligned}$ |
|  |  | $\Sigma$ | (+)181.25 | 297.5 |  |

$$
\Delta_{2}=(-) 181.25 /(2 \times 297.5)=(-) 0.3046
$$

## Flows after Second Correction

| Pipe | Corrected Discharge <br> after Ist Correction, <br> $\mathrm{L} / \mathrm{s}$ |
| :--- | :--- |








SFCTAR 24

## Method of Sections


(a)
(b)


[^0]:    Fig. 3.13

